JoBS

Joint Buffer Management and Scheduling for Differentiated Services

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Outline

The Context

DiffServ with AF guarantees

The Problem

Differentiated Services, Differentiated Services
 Enhancements

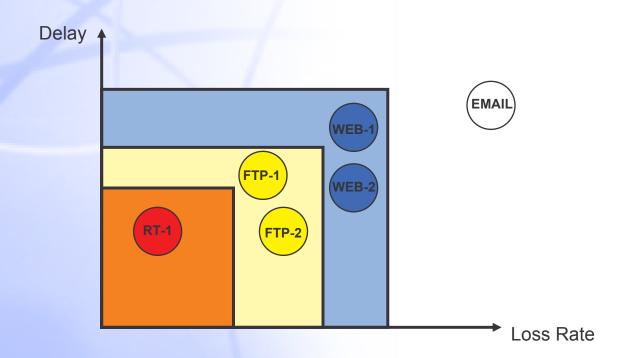
Our Approach

Joint Buffer Management and Scheduling (JoBS)

Conclusions

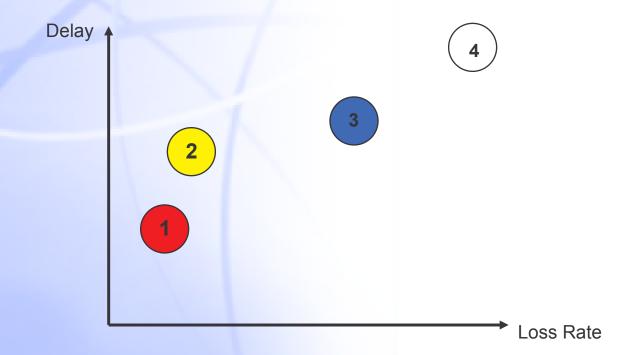
Integrated Services (IntServ)

- Provide absolute per-flow guarantees:
 - upper bound on delay
 - upper bound on loss rate



Differentiated Services (AF/DiffServ)

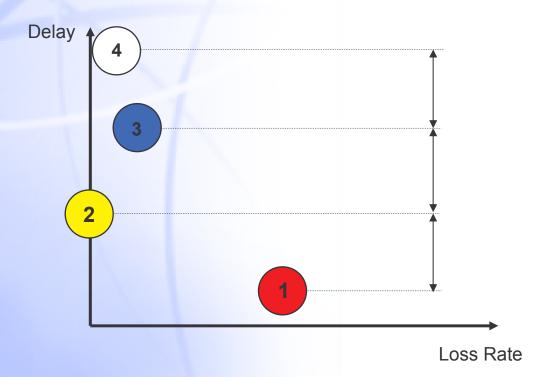
- Provide service differentiation between traffic classes
 - Service differentiation is only qualitative



Differentiated Services Enhancements

Provide quantifiable guarantees within an AF/ DiffServ context

e.g., Proportional Delay and Loss Differentiation



JoBS: Joint Buffer Management and Scheduling

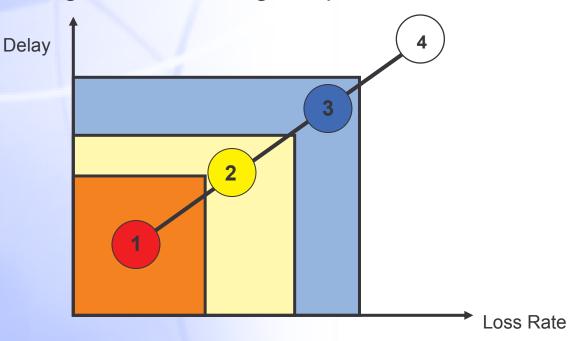
Offer proportional and absolute guarantees for both loss and delay

Class-2 delay
$$\cong 4$$
 or: Class-2 loss rate $\cong 2$ Class-1 loss rate

Class-2 delay ≤ 5

Class-2 loss rate ≤ 10-9

If necessary, relax guarantees in a given preference order



Related Work (on enhanced AF Service)

- Proportional Delay and Loss Differentiation (Dovrolis et. al.)
- Mean-Delay Proportional Scheduler (Barghavan et. al.)
- ABE Service (Hurley et. al.)
- Several papers at this workshop

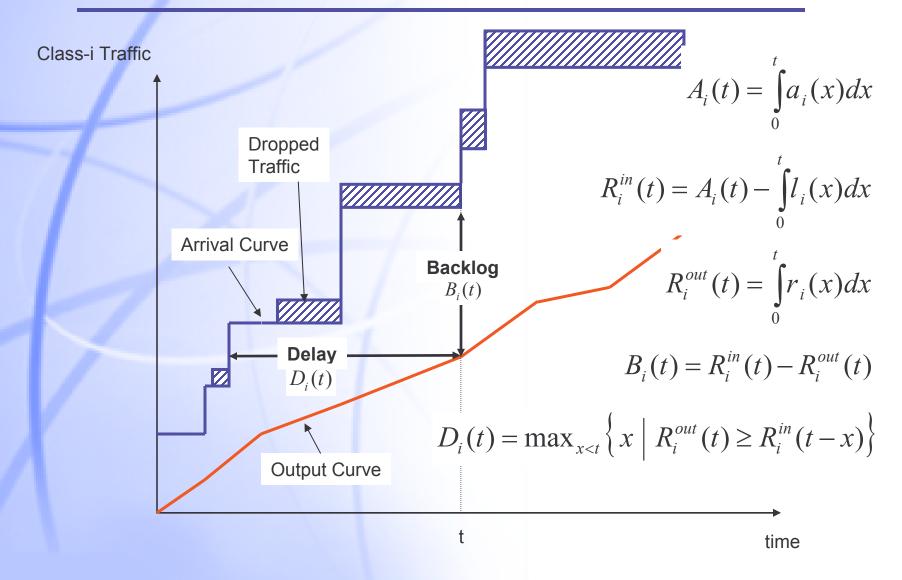
JoBS – Joint Scheduling and Buffer Management

- JoBS operates at the output port of a router
- JoBS mechanisms:
 - Service rate allocation to traffic classes
 - Service rate allocation is periodically adjusted
 - Rate allocation is based on projections of delays and loss rate
 - If no feasible rate allocation exists, drop traffic

Contributions

- Progress on the question: How strong can we make AF service?
- Propose a formal framework to view both loss and delay differentiation in an DiffServ/AF context

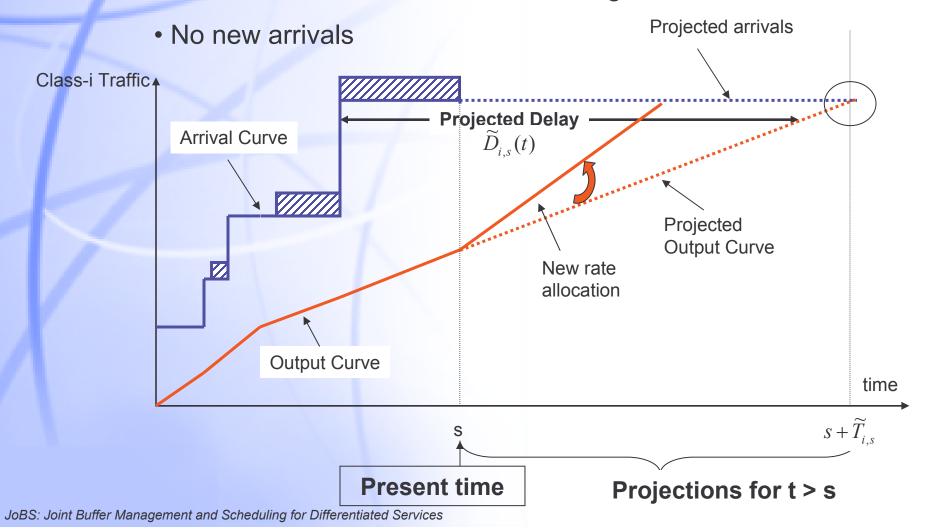
Arrivals, Departures, and Losses at a node



Rate Projections

Assumptions for projections at time s for delays at t > s :

Current rate allocation does not change



Projections

For
$$s < t \le s + \widetilde{T}_{i,s}$$
:

$$\widetilde{R}_{i,s}^{in}(t) = R_i^{in}(s)$$

$$\widetilde{R}_{i,s}^{out}(t) = R_i^{out}(s) + (t - s)r_i(s)$$

$$\widetilde{B}_{i,s}(t) = \widetilde{R}_{i,s}^{in}(t) - \widetilde{R}_{i,s}^{out}(t)$$

$$\widetilde{D}_{i,s}(t) = \max_{t-s < x < t} \left\{ x \mid \widetilde{R}_{i,s}^{out}(t) \ge \widetilde{R}_{i,s}^{in}(t-x) \right\}$$

JoBS

 New rate allocations and drop decisions are obtained from an optimization

Minimize: losses and changes to the rate allocation,

Subject to: - absolute constraints (loss, delay)

- relative constraints

- system constraints (e.g., buffer size)

 If constraint system becomes infeasible, relax constraints in a specified order

System Constraints

Scheduler is work-conserving

$$\sum_{i} r_i(t) = C$$

Finite buffer size

$$\sum_{i} B_{i}(t) \leq B$$

Delay Constraints

Absolute delay constraints

$$\max_{s < t < s + \widetilde{T}_{i,s}} \widetilde{D}_{i,s}(t) \le d_i$$

Relative delay constraints

$$\frac{\overline{D}_{i+1,s}}{\overline{D}_{i,s}} \approx k$$

where

$$\overline{D}_{i,s} = \frac{1}{\widetilde{T}_{i,s}} \int_{s}^{s+\widetilde{T}_{i,s}} \widetilde{D}_{i,s}(x) dx$$

Loss Constraints

Loss is defined as the dropped traffic in the current busy period

$$p_{i,s} = \frac{\int_0^s l_i(x) dx}{\int_0^s a_i(x) dx}$$

Absolute loss constraints:

$$p_{i,s} \leq L_i$$

Relative loss constraints:

$$\frac{p_{i+1,s}}{p_{i,s}} \approx k'$$

Objective function

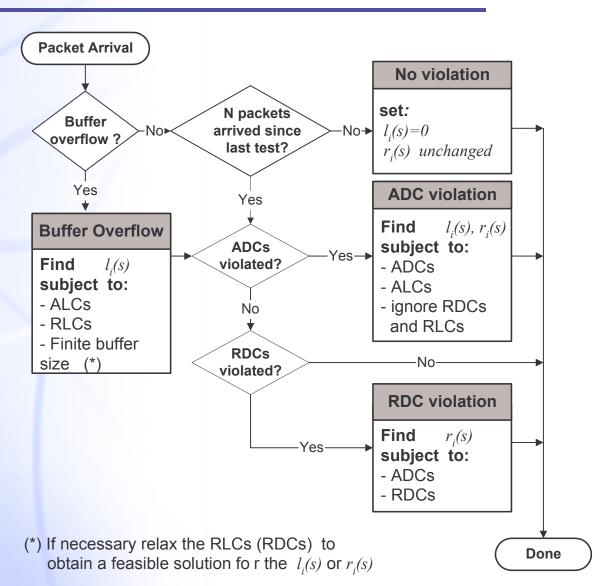
- First Goal: Avoid losses if possible
- Second Goal: Hang on to current rate allocation

min
$$C^2 \sum_{i} l_i(s) + \sum_{i} (r_i(s) - r_i(s^-))^2$$

- This is a non-linear optimization problem
 - specify heuristic algorithm which approximates optimal solution

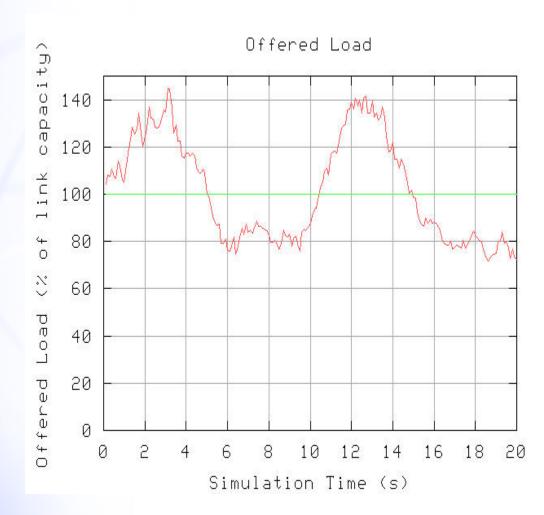
- Decompose

 optimization into a
 number of small
 computations
- Use virtual-clock type algorithm to implement rate allocation
- Run rate allocation only once for every N packets, or if buffer overflows



Experimental Setup: Single Node

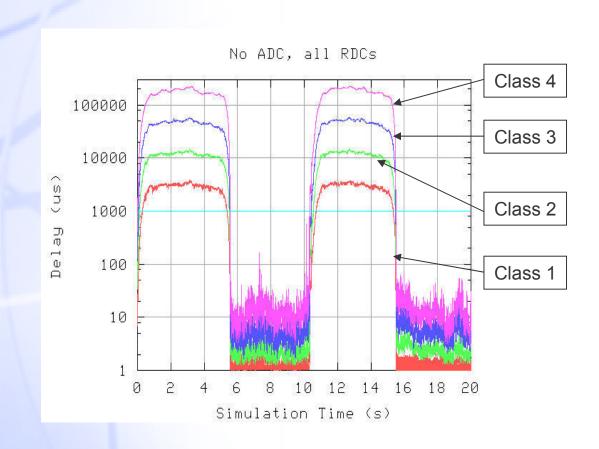
- Output link capacity = 1 Gbps,
- Buffer size = 6.25MB,
- Bursty arrival pattern: superposition of 200-550
 Pareto sources (α=1.2).
- The offered load curve varies between 70% and 150% of the link capacity,
- 4 traffic classes,
- Each class contributes 25% of the total traffic.



Simulation Results: Delay

$$\frac{\text{Class-4 delay}}{\text{Class-3 delay}} \approx 4$$

$$\frac{\text{Class-(i+1) loss}}{\text{Class-i loss}} \approx 2$$



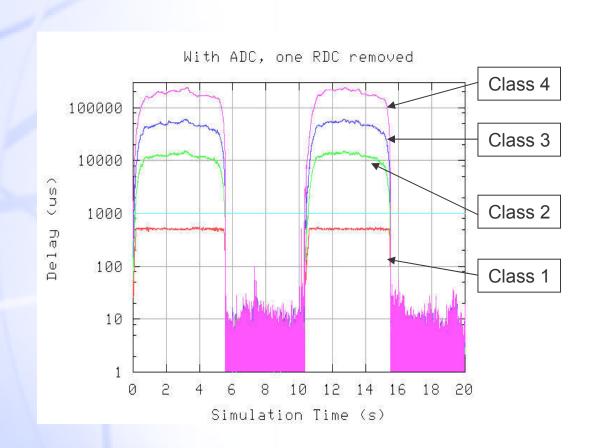
Simulation Results: Delay

 $\frac{\text{Class-4 delay}}{\text{Class-3 delay}} \approx 4$

Class-3 delay ≈ 4 Class-2 delay

Class-1 delay ≤ 1 ms

 $\frac{\text{Class-(i+1) loss}}{\text{Class-i loss}} \approx 2$



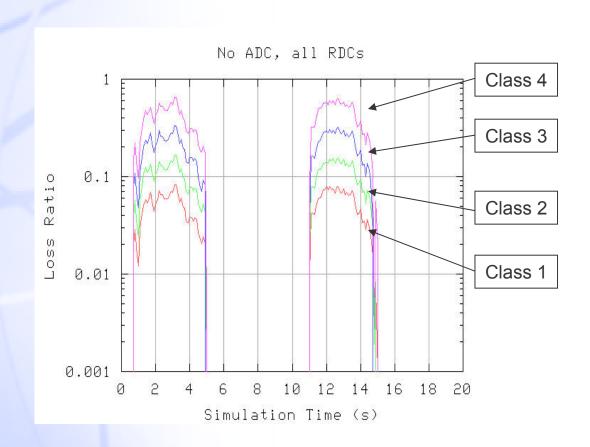
Simulation Results: Loss

$$\frac{\text{Class-4 delay}}{\text{Class-3 delay}} \approx 4$$

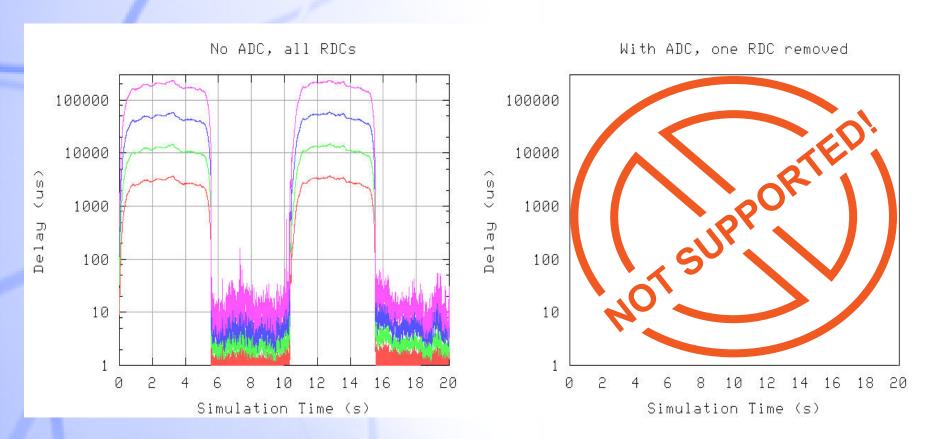
Class-3 delay ≈ 4 Class-2 delay

Class-2 delay ≈ 4 Class-1 delay

 $\frac{\text{Class-(i+1) loss}}{\text{Class-i loss}} \approx 2$

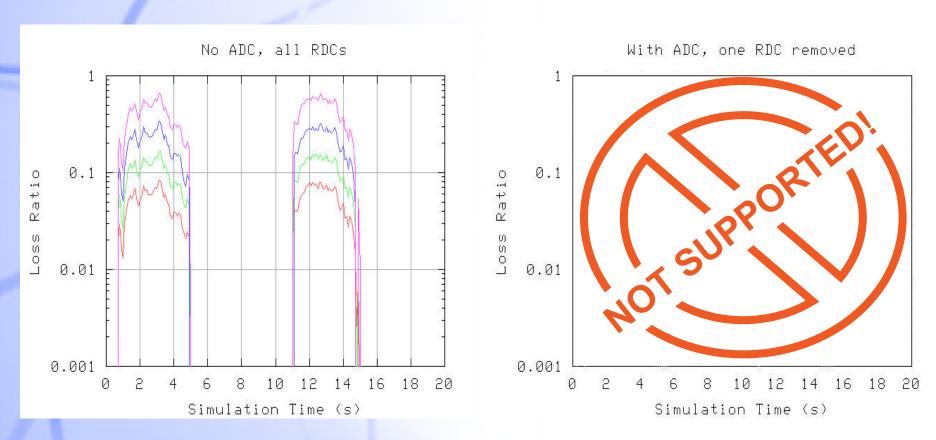


Comparison with Literature: Delay



 Waiting Time Priority+Proportional Loss Rate Dropper by Dovrolis et.al.

Comparison with Literature: Loss



 Waiting Time Priority+Proportional Loss Rate Dropper by Dovrolis et.al.

Conclusions

- Formal approach to enhanced differentiated services
- Tackle both loss and delay differentiation
- Provide absolute as well as relative guarantees.

- Current issues:
 - Integration of TCP congestion control mechanisms
 - Implementation in ALTQ (100 Mbps) and Intel IXP (1 Gbps)
- Additional information (including applet demonstration) available at mng.cs.virginia.edu