#### Database Applications (15-415)

### DBMS Internals- Part VIII Lecture 19, March 31, 2015

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## Today...

- Last Session:
  - DBMS Internals- Part VII
    - Algorithms for Relational Operations (Cont'd)
- Today's Session:
  - DBMS Internals- Part VIII
    - Algorithms for Relational Operations (Cont'd)
    - Introduction to Query Optimization
- Announcements:
  - Project 2 grades will be out on Thursday, April 2<sup>nd</sup>
  - Project 3 is due on Thursday, April 2<sup>nd</sup> by midnight
  - PS4 will be posted by Thursday, April 2<sup>nd</sup>. It will be due on April 16<sup>th</sup> by midnight
  - Quiz II will be held on Thursday, April 9<sup>th</sup> (all concepts covered after the midterm are included)

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## Outline



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## The Join Operation

- We will study *five* join algorithms, *two* which enumerate the cross-product and *three* which do not
- Join algorithms which enumerate the cross-product:
  - Simple Nested Loops Join
  - Block Nested Loops Join
- Join algorithms which <u>do not</u> enumerate the cross-product:
  - Index Nested Loops Join
  - Sort-Merge Join
  - Hash Join

## Hash Join

- The join algorithm based on hashing has two phases:
  - Partitioning (also called *Building*) Phase
  - Probing (also called *Matching*) Phase
- Idea: Hash both relations on the join attribute into k partitions, using the same hash function h
- Premise: R tuples in partition *i* can join only with S tuples in the same partition *i*

## Hash Join: Partitioning Phase

Partition both relations using hash function *h*



## Hash Join: Probing Phase

- Read in a partition of R, hash it using h2 (<> h)
- Scan the corresponding partition of S and search for matches



## Hash Join: Cost

- What is the cost of the partitioning phase?
  - We need to scan R and S, and write them out once
  - Hence, cost is 2(M+N) I/Os

- What is the cost of the probing phase?
  - We need to scan each partition once (assuming no partition overflows) of R and S
  - Hence, cost is M + N I/Os
- Total Cost = 3 (M + N)

## Hash Join: Cost (Cont'd)

- Total Cost = 3 (M + N)
- Joining Reserves and Sailors would cost 3 (500 + 1000) = 4500 I/Os
- Assuming 10ms per I/O, hash join takes less than 1 minute!
- This underscores the importance of using a good join algorithm (e.g., Simple NL Join takes ~140 hours!)

But, so far we have been assuming that partitions fit in memory!

### Memory Requirements and Overflow Handling

- How can we increase the chances for a given partition in the probing phase to fit in memory?
  - Maximize the number of partitions in the building phase
- If we partition R (or S) into k partitions, what would be the size of each partition (in terms of B)?
  - At least k output buffer pages and 1 input buffer page
  - Given B buffer pages, k = B 1
  - Hence, the size of an R (or S) partition = M/B-1
- What is the number of pages in the (in-memory) hash table built during the probing phase per a partition?
  - *f*.M/B-1, where *f* is a *fudge factor*

## Memory Requirements and Overflow Handling

- What do we need else in the probing phase?
  - A buffer page for scanning the S partition
  - An output buffer page
- What is a good value of B as such?
  - B > f.M/B-1 + 2
  - Therefore, we need  $\sim B > \sqrt{f.M}$
- What if a partition overflows?
  - Apply the hash join technique *recursively* (as is the case with the projection operation)

## Hash Join vs. Sort-Merge Join

If B > \sqrt{M} (M is the # of pages in the smaller relation) and we assume uniform partitioning, the cost of hash join is 3(M+N) I/Os

• If  $B > \sqrt{N}$  (N is the # of pages in the *larger* relation), the cost of sort-merge join is 3(M+N) I/Os

Which algorithm to use, hash join or sort-merge join?

## Hash Join vs. Sort-Merge Join

- If the available number of buffer pages falls between  $\sqrt{M}$  and  $\sqrt{N}$ , hash join is preferred (why?)
- Hash Join shown to be highly parallelizable (beyond the scope of the class)
- Hash join is sensitive to data skew while sort-merge join is not
- Results are sorted after applying sort-merge join (may help "upstream" operators)
- Sort-merge join goes fast if one of the input relations is already sorted

## The Join Operation

- We will study *five* join algorithms, *two* which enumerate the cross-product and *three* which do not
- Join algorithms which enumerate the cross-product:
  - Simple Nested Loops Join
  - Block Nested Loops Join
- Join algorithms which <u>do not</u> enumerate the cross-product:
  - Index Nested Loops Join
  - Sort-Merge Join
  - Hash Join



## **General Join Conditions**

- Thus far, we assumed a single equality join condition
- Practical cases include join conditions with several equality (e.g., *R.sid=S.sid* AND *R.rname=S.sname*) and/or inequality (e.g., *R.rname < S.sname*) conditions
- We will discuss two cases:
  - Case 1: a join condition with several equalities
  - Case 2: a join condition with an inequality comparison

#### **General Join Conditions: Several Equalities**

- Case 1: a join condition with several equalities (e.g., R.sid=S.sid AND R.rname=S.sname)
  - Simple NL join and Block NL join are unaffected
  - For index NL join, we can build an index on Reserves using the composite key (sid, rname) and treat Reserves as the inner relation
  - For sort-merge join, we can sort Reserves on the composite key (sid, rname) and Sailors on the composite key (sid, sname)
  - For hash join, we can partition Reserves on the composite key (sid, rname) and Sailors on the composite key (sid, sname)



## General Join Conditions: An Inequality

- Case 2: a join condition with an inequality comparison (e.g., *R.rname < S.sname*)
  - Simple NL join and Block NL join are unaffected
  - For index NL join, we require a B+ tree index
  - Sort-merge join and hash join are not applicable!



## Outline





## Set Operations

- $R \cap S$  is a special case of join!
  - Q: How?
  - A: With equality on *all* fields in the join condition
- R × S is a special case of join!
  - Q: How?
  - A: With no join condition
- How to implement R U S and R S?
  - Algorithms based on sorting
  - Algorithms based on hashing



#### Union and Difference Based on Sorting

- How to implement R U S based on sorting?
  - Sort R and S
  - Scan sorted R and S (in parallel) and merge them, eliminating duplicates
- How to implement R S based on sorting?
  - Sort R and S
  - Scan sorted R and S (in parallel) and write only tuples of R that do not appear in S



#### Union and Difference Based on Hashing

- How to implement R U S based on hashing?
  - Partition R and S using a hash function h
  - For each S-partition, build in-memory hash table (using h2)
  - Scan R-partition which corresponds to S-partition and write out tuples while discarding duplicates
- How to implement R S based on hashing?
  - Partition R and S using a hash function h
  - For each S-partition, build in-memory hash table (using h2)
  - Scan R-partition which corresponds to S-partition and write out tuples which are in R-partition but not in S-partition

## Outline





Assume the following SQL query Q1:

SELECT AVG(S.age) FROM Sailors S

- How to evaluate Q1?
  - Scan Sailors
  - Maintain the average on age
- In general, we implement aggregate operations by:
  - Scanning the input relation
  - Maintaining some *running information* (e.g., total for SUM and smaller for MIN)

Assume the following SQL query Q2:

SELECT AVG(S.age) FROM Sailors S GROUP BY S.rating

- How to evaluate Q2?
  - An algorithm based on sorting
  - An algorithm based on hashing
- Algorithm based on sorting:
  - Sort Sailors on rating
  - Scan sorted Sailors and compute the average for each rating group

Assume the following SQL query Q2:

SELECT AVG(S.age) FROM Sailors S GROUP BY S.rating

- How to evaluate Q2?
  - An algorithm based on sorting
  - An algorithm based on hashing
- Algorithm based on hashing:
  - Build a hash table on rating
  - Scan Sailors and for each tuple *t*, probe its corresponding hash bucket and update average

Assume the following SQL query Q2:

SELECT AVG(S.age) FROM Sailors S GROUP BY S.rating

- How to evaluate Q2 with the existence of an index?
  - If group-by attributes form *prefix* of search key, we can retrieve data entries/tuples in group-by order and thereby avoid sorting
  - If the index is a tree index whose search key includes all attributes in SELECT, WHERE and GROUP BY clauses, we can pursue an *index-only scan*

## Outline

The Join Operation (Cont'd) The Set Operations

The Aggregate Operations

**Introduction to Query Optimization** 

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#### Cost-Based Query Sub-System



## **Query Optimization Steps**

- Step 1: Queries are parsed into internal forms (e.g., parse trees)
- Step 2: Internal forms are transformed into 'canonical forms' (syntactic query optimization)
- Step 3: A <u>subset</u> of alternative plans are enumerated
- Step 4: Costs for alternative plans are estimated
- Step 5: The query evaluation plan with the <u>least estimated</u> <u>cost</u> is picked

#### **Required Information to Evaluate Queries**

- To estimate the costs of query plans, the query optimizer examines the system catalog and retrieves:
  - Information about the types and lengths of fields
  - Statistics about the referenced relations
  - Access paths (indexes) available for relations
- In particular, the Schema and Statistics components in the Catalog Manager are inspected to find a good enough query evaluation plan



#### Cost-Based Query Sub-System



## Catalog Manager: The Schema

- What kind of information do we store at the Schema?
  - Information about tables (e.g., table names and integrity constraints) and attributes (e.g., attribute names and types)
  - Information about indices (e.g., index structures)
  - Information about users
- Where do we store such information?
  - In tables, hence, can be queried like any other tables
  - For example: Attribute\_Cat (attr\_name: string, rel\_name: string; type: string; position: integer)

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## **Catalog Manager: Statistics**

#### What would you store at the Statistics component?

- NTuples(R): # records for table R
- NPages(R): # pages for R
- NKeys(I): # distinct key values for index I
- INPages(I): # pages for index I
- IHeight(I): # levels for I
- ILow(I), IHigh(I): range of values for I

••••

 Such statistics are important for estimating plan costs and result sizes (to be discussed next week!)



## SQL Blocks

- SQL queries are optimized by *decomposing* them into a collection of smaller units, called blocks
- A block is an SQL query with:
  - No nesting
  - Exactly 1 SELECT and 1 FROM clauses
  - At most 1 WHERE, 1 GROUP BY and 1 HAVING clauses
- A typical relational query optimizer concentrates on optimizing a single block at a time



- An SQL block can be thought of as an algebra expression containing:
  - A cross-product of all relations in the FROM clause
  - Selections in the WHERE clause
  - Projections in the SELECT clause
- Remaining operators can be carried out on the result of such SQL block

#### Translating SQL Queries Into Relational Algebra Trees (*Cont'd*)



# Translating SQL Queries Into Relational Algebra Trees (*Cont'd*)



OBSERVATION: try to perform selections and projections early!

#### Translating SQL Queries Into Relational Algebra Trees (*Cont'd*)



How to evaluate a query plan (as opposed to evaluating an operator)?



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