# Database Applications (15-415) 

DBMS Internals- Part X Lecture 18, March 26, 2014

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## Today...

- Last Session:
- DBMS Internals- Part VIII
- Query Optimization
- Today's Session:
- DBMS Internals- Part IX
- Query Optimization (Cont'd)
- Announcements:
- Project 3 is due on April $5^{\text {th }}$
- Quiz 2 is on Thursday, April 3, at 5:00PM in Room 2051 (all material covered after the midterm)


## DBMS Layers



Carnegie Mellon University Qatar

## Query Optimization Steps

- Step 1: Queries are parsed into internal forms (e.g., parse trees)
- Step 2: Internal forms are transformed into 'canonical forms' (syntactic query optimization)
- Step 3: A subset of alternative plans are enumerated
- Step 4: Costs for alternative plans are estimated
- Step 5: The query evaluation plan with the least estimated cost is picked


## Outline

## A Brief Primer on Query Optimization

## Query Evaluation Plans

Relational Algebra Equivalences

## Estimating Plan Costs

## Enumerating Plans

Nested Sub-Queries

# Required Information to Estimate Plan Costs 

- For each enumerated plan, we have to estimate its cost
- To estimate the cost of a query plan, the query optimizer examines the system catalog and retrieves:
- Information about the types and lengths of fields
- Statistics about the referenced relations
- Access paths (indexes) available for relations
- In particular, the Schema and Statistics components in the Catalog Manager are inspected to find a good enough query evaluation plan


## Cost-Based Query Sub-System: Revisit



## Catalog Manager: The Schema Component

- What kind of information do we store at the Schema?
- Information about tables (e.g., table names and integrity constraints) and attributes (e.g., attribute names and types)
- Information about indices (e.g., index structures)
- Information about users
- Where do we store such information?
- In tables; hence, can be queried like any other tables
- For example: Attribute_Cat (attr_name: string, rel_name: string; type: string; position: integer)


## Catalog Manager: The Statistics Component

- What would you store at the Statistics component?
- NTuples(R): \# records for table R
- NPages(R): \# pages for R
- NKeys(I): \# distinct key values for index I
- INPages(I): \# pages for index I
- IHeight(I): \# levels for I
- ILow(I), IHigh(I): range of values for I
- Such statistics are important for estimating operation costs and result sizes


## Estimating the Cost of a Plan

- The cost of a plan can be estimated by:

1. Estimating the cost of each operation in the plan tree

- Already covered last week (e.g., costs of various join algorithms)

2. Estimating the size of the result of each operation in the plan tree

- The output size and order of a child node affects the cost of its parent node

How can we estimate result sizes?

## Estimating Result Sizes

- Consider a query block, QB, of the form:

```
SELECT attribute list
FROM R1, R2, ...., Rn
WHERE term 1 AND ... AND term k
```

- What is the maximum number of tuples generated by $Q B$ ?
- NTuples (R1) $\times$ NTuples (R2) $\times \ldots \times$ NTuples(Rn)
- Every term in the WHERE clause, however, eliminates some of the possible resultant tuples
- A reduction factor can be associated with each term


## Estimating Result Sizes (Cont'd)

- Consider a query block, QB, of the form:

SELECT attribute list
FROM R1, R2, ...., Rn
WHERE term 1 AND ... AND term k

- The reduction factor (RF) associated with each term reflects the impact of the term in reducing the result size
- Final (estimated) result cardinality =[NTuples (R1) $\times \ldots \times$ NTuples(Rn)] $\times$ [RF(term 1) $\times \ldots \times \operatorname{RF}($ term Ki$]$
- Implicit assumptions: terms are independent and distribution is uniform!

But, how can we compute reduction factors?

## Approximating Reduction Factors

- Reduction factors (RFs) can be approximated using the statistics available in the DBMS's catalog
- For different forms of terms, RF is computed differently
- Form 1: Column = Value
- $R F=1 / \mathrm{NKeys}(I)$, if there is an index I on Column
- Otherwise, RF = 1/10

NKeys(I)


## Approximating Reduction Factors (Cont'd)

- For different forms of terms, RF is computed differently
- Form 2: Column 1 = Column 2
- RF = 1/MAX(NKeys(I1), NKeys(I2)), if there are indices I1 and $\mathbf{I 2}$ on Column 1 and Column 2, respectively
- Or: RF = 1/NKeys(I), if there is only 1 index on Column 1 or Column 2
- Or: RF = 1/10, if neither Column 1 nor Column 2 has an index
- Form 3: Column IN (List of Values)
- RF equals to RF of "Column = Value" (i.e., Form 1) $\times$ \# of elements in the List of Values


## Approximating Reduction Factors (Cont'd)

- For different forms of terms, RF is computed differently
- Form 4: Column > Value
- RF = (High $(I)-$ Value) $)$
(High(I) - Low(I)), if there is an index I on Column
- Otherwise, RF equals to any fraction < 1/2



## Improved Statistics: Histograms

- Estimates can be improved considerably by maintaining more detailed statistics known as histograms

Distribution D


Uniform Distribution Approximating D


## Improved Statistics: Histograms

- Estimates can be improved considerably by maintaining more detailed statistics known as histograms

Distribution D


What is the result size of term value $>\mathbf{1 3}$ ?

8 tuples

## Improved Statistics: Histograms

- Estimates can be improved considerably by maintaining more detailed statistics known as histograms

Uniform Distribution Approximating D


What is the (estimated) result size of term value > 13?
$(1 / 15 \times 44)=\sim 3$ tuples

Clearly, this is inaccurate!

## Improved Statistics: Histograms

- We can do better if we divide the range of values into sub-ranges called buckets

Equiwidth histogram


Bucket 1 Bucket 2 Bucket 3 Bucket 4 Bucket 5
Count=8 Count=4 Count=15 Count=3 Count=15

Equidepth histogram


## Improved Statistics: Histograms

- We can do better if we divide the range of values into sub-ranges called buckets

Equiwidth histogram


Bucket 1 Bucket 2 Bucket 3 Bucket 4 Bucket 5
Count=8 Count=4 Count=15 Count=3 Count=15

What is the (estimated) result size of term value $\mathbf{>} \mathbf{1 3}$ ?

- The selected range $=1 / 3$ of the range for bucket 5
- Bucket 5 represents a total of 15 tuples
- Estimated size $=1 / 3 \times 15=5$ tuples


## Better than

regular
histograms!

## Improved Statistics: Histograms

- We can do better if we divide the range of values into sub-ranges called buckets

Equidepth histogram


What is the (estimated) result size of term value $>13$ ?

- The selected range $=100 \%$ of the range for bucket 5
- Bucket 5 represents a total of 9 tuples
- Estimated size $=1 \times 9=9$ tuples

[^0]Better than
equiwidth
histograms!
Why?

## Improved Statistics: Histograms

- We can do better if we divide the range of values into sub-ranges called buckets

Equidepth histogram


Because, buckets with very frequently occurring values contain fewer slots; hence, the uniform distribution assumption is applied to a smaller range of values!

What about buckets with mostly infrequent values?
They are approximated
less accurately!

## Outline

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Relational Algebra Equivalences
Estimating Plan Costs
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## Enumerating Execution Plans

- Consider a query $Q=A \bowtie B \bowtie C \bowtie D$
- Here are 3 plans that are equivalent:


Left-Deep Tree

## Enumerating Execution Plans

- Consider a query $Q=A \bowtie B \bowtie C \bowtie D$
- Here are 3 plans that are equivalent:


Why?

## Enumerating Execution Plans (Cont'd)

- There are two main reasons for concentrating only on leftdeep plans:
- As the number of joins increases, the number of plans increases rapidly; hence, it becomes necessary to prune the space of alternative plans
- Left-deep trees allows us to generate all fully pipelined plans
- Clearly, by adding details to left-deep trees (e.g., the join algorithm per each join), several query plans can be obtained
- The query optimizer enumerates all possible left-deep plans using typically a dynamic programming approach (later), estimates the cost of each plan, and selects the one with the lowest cost!


## Enumerating Execution Plans (Cont'd)

- In particular, the query optimizer enumerates:

1. All possible left-deep orderings
2. The different possible ways for evaluating each operator
3. The different access paths for each relation

- Assume the following query $\mathbf{Q}$ :

```
SELECT S.sname, B.bname, R.day
FROM Sailors S, Reserves R, Boats B
WHERE S.sid = R.sid AND R.bid = B.bid
```


## Enumerating Execution Plans (Cont'd)

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## Enumerating Execution Plans (Cont'd)

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Prune plans with cross-products immediately!

## Enumerating Execution Plans (Cont'd)

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+ do same for the 3 other plans



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## Enumerating Execution Plans (Cont'd)

- In particular, the query optimizer enumerates:

1. All possible left-deep orderings
2. The different possible ways for evaluating each operator
3. The different access paths for each relation

Subsequently, estimate the cost of each plan using statistics collected and stored at the system catalog!

Let us now study a dynamic programming algorithm to effectively enumerate and estimate cost plans

## Towards a Dynamic Programming Algorithm

- There are two main cases to consider:
- CASE I: Single-Relation Queries
- CASE II: Multiple-Relation Queries
- CASE I: Single-Relation Queries
- Only selection, projection, grouping and aggregate operations are involved (i.e., no joins)
- Every available access path is considered and the one with the least estimated cost is selected
- The different operations are carried out together
- E.g., if an index is used for a selection, projection can be done for each retrieved tuple, and the resulting tuples can be pipelined into an aggregate operation (if any)


## CASE I: Single-Relation QueriesAn Example

- Consider the following SQL query $\mathbf{Q}$ :

> SELECT S.rating, COUNT (*) FROM Sailors S
> WHERE S.rating > 5 AND S.age $=20$ GROUP BY S.rating

- $\boldsymbol{Q}$ can be expressed in a relational algebra tree as follows:



## CASE I: Single-Relation QueriesAn Example

- Consider the following SQL query $\mathbf{Q}$ :

```
SELECT S.rating, COUNT (*)
FROM Sailors S
WHERE S.rating > 5 AND S.age = 20
GROUP BY S.rating
```

- How can $\mathbf{Q}$ be evaluated?

- Apply CASE I:
- Every available access path for Sailors is considered and the one with the least estimated cost is selected
- The selection and projection operations are carried out together


## CASE I: Single-Relation QueriesAn Example

- Consider the following SQL query $\mathbf{Q}$ :
SELECT S.rating, COUNT ${ }^{*}$ )
FROM Sailors S
WHERE S.rating $>5$ AND S.age $=20$
GROUP BY S.rating
- What would be the cost of we assume a file scan for sailors?


Sailors


Sailors

## CASE I: Single-Relation QueriesAn Example

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## CASE I: Single-Relation QueriesAn Example

- What would be the cost of we assume a clustered index on rating with $A(1)$ ?



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## CASE I: Single-Relation QueriesAn Example

- What would be the cost of we assume a clustered index on rating with $A(1)$ ?

67.5 I/Os (as opposed to 510 I/Os with a file scan)


## Towards a Dynamic Programming Algorithm

- There are two main cases to consider:
- CASE I: Single-Relation Queries
- CASE II: Multiple-Relation Queries
- CASE II: Multiple-Relation Queries
- Only consider left-deep plans
- Apply a dynamic programming algorithm


## Enumeration of Left-Deep Plans Using Dynamic Programming

- Enumerate using $\boldsymbol{N}$ passes (if $\boldsymbol{N}$ relations joined):
- Pass 1:
- For each relation, enumerate all plans (all 1-relation plans)
- Retain the cheapest plan per each relation
- Pass 2:
- Enumerate all 2-relation plans by considering each 1-relation plan retained in Pass 1 (as outer) and successively every other relation (as inner)
- Retain the cheapest plan per each 1-relation plan
- Pass N:
- Enumerate all $\boldsymbol{N}$-relation plans by considering each ( $\mathbf{N}-\mathbf{1}$ )relation plan retained in Pass $\mathrm{N}-1$ (as outer) and successively every other relation (as inner)
- Retain the cheapest plan per each ( $\mathbf{N}$-1)-relation plan
- Pick the cheapest $N$-relation plan


# Enumeration of Left-Deep Plans Using Dynamic Programming (Cont'd) 

- An $\mathbf{N - 1}$ way plan is not combined with an additional relation unless:
- There is a join condition between them
- All predicates in the WHERE clause have been used up
- ORDER BY, GROUP BY, and aggregate functions are handled as a final step, using either an `interestingly ordered' plan or an additional sorting operator
- In spite of pruning plan space, this approach is still exponential in the \# of tables


## CASE II: Multiple-Relation QueriesAn Example

- Consider the following relational algebra tree:


Reserves Sailors

- Assume the following:
- Sailors:
- B+ tree on rating
- Hash on sid
- Reserves:
- B+ tree on bid


## CASE II: Multiple-Relation QueriesAn Example

- Pass 1:
- Sailors:
- B+ tree matches rating>5, and is probably the cheapest
- If this selection is expected to retrieve a lot of tuples, and the index is un-clustered, file scan might be cheaper!
- Reserves: B+ tree on bid matches bid=500; probably the cheapest
- Sailors:
- B+ tree on rating
- Hash on sid
- Reserves:
- B+ tree on bid


## CASE II: Multiple-Relation QueriesAn Example

- Pass 2:
- Consider each plan retained from Pass 1 as the outer, and join it effectively with every other relation
- E.g., Reserves as outer:

- Hash index can be used to get Sailors tuples that satisfy sid = outer tuple's sid value
- Sailors:
- B+ tree on rating
- Hash on sid
- Reserves:
- B+ tree on bid


## Outline

## A Brief Primer on Query Optimization

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## Nested Sub-queries

- Consider the following nested query Q1:

```
SELECT S.sname
FROM Sailors S
WHERE S.rating =
    (SELECT MAX (S2.rating)
    FROM Sailors S2)
```

- The nested sub-query can be evaluated just once, yielding a single value $V$
- V can be incorporated into the top-level query as if it had been part of the original statement of Q1


## Nested Sub-queries

- Now, consider the following nested query Q2:

```
SELECT S.sname
FROM Sailors S
WHERE EXISTS
    (SELECT R.sid
    FROM Reserves R
    WHERE R.bid=103)
```

- The nested sub-query can still be evaluated just once, but it will yield a collection of sids
- Every sid value in Sailors must be checked whether it exists in the collection of sids returned by the nested sub-query
- This entails a join, and the full range of join methods can be explored!


## Nested Sub-queries

- Now, consider another nested query Q3:

| SELECT S.sname |
| :---: |
| FROM ('ŚSailors S |
| WHERE EXISTS |
| (SELECT |
| FROM Reseri |
| WHERE R.bid |
| AND R.sid=S |

- Q3 is correlated; hence, we "cannot" evaluate the sub-query just once!
- In this case, the typical evaluation strategy is to evaluate the nested sub-query for each tuple of Sailors

The common approach, indeed, is to always do nested loops join!

## Summary

- Query optimization is a crucial task in a relational DBMSs
- We must understand query optimization in order to understand the performance impact of a given database design (relations, indexes) on a workload (set of queries)
- Two parts to optimizing a query:

1. Consider a set of alternative plans (e.g., using dynamic programming)

- Apply selections/projections as early as possible
- Prune search space; typically, keep left-deep plans only

2. Estimate the cost of each plan that is considered

- Must estimate size of result and cost of each tree node
- Key issues: Statistics, indexes, operator implementations


## Next Class




[^0]:    $\begin{array}{lllll}\text { Bucket 1 } & \text { Bucket 2 } & \text { Bucket 3 } & \text { Bucket 4 } & \text { Bucket 5 } \\ \text { Count=9 } & \text { Count=10 } & \text { Count=10 } & \text { Count=7 } & \text { Count=9 }\end{array}$

